

**COST 289 / 6th MCM:
Experimental Performance Evaluation of
Multiuser Zero Forcing Relaying in Indoor
Scenario**

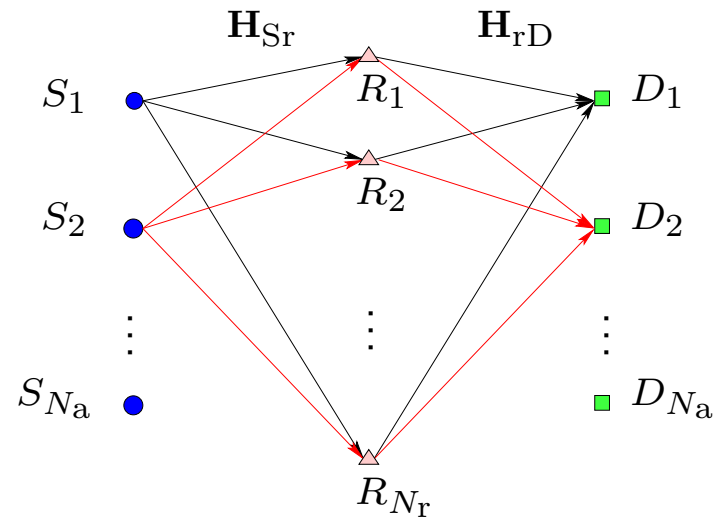
Stefan Berger, Armin Wittneben

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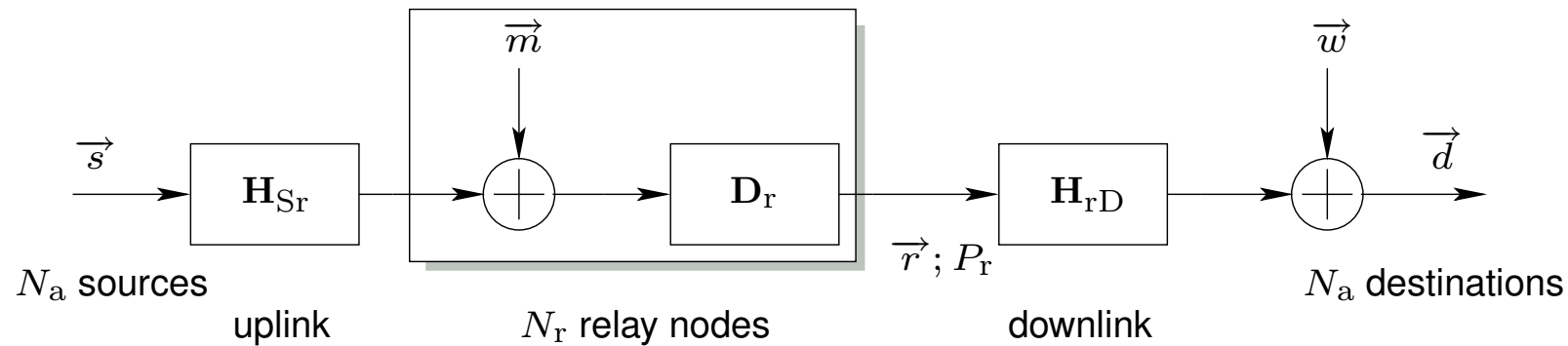


- System model
- Zero forcing relaying
- Channel measurements
- Performance results

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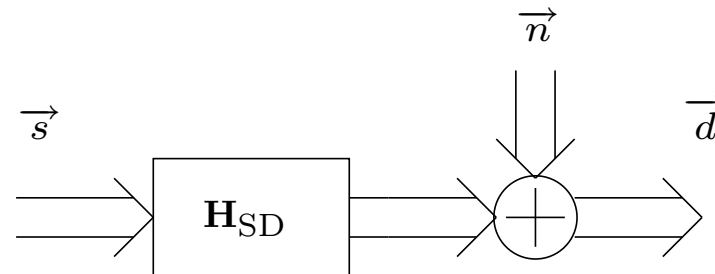


- System configuration with
 - N_a source - destination pairs
 - N_r autonomous *amplify-and-forward* relays
- S_i shall transmit to D_i without interference from other sources
- Assume: Complete channel state information at all relays
→ **Multiuser Zero Forcing Relaying**



- No channel knowledge at the transmitter: entries of \vec{s} i.i.d. complex normal
- $\vec{m} \sim \mathcal{CN}(\mathbf{0}, \sigma_m^2 \mathbf{I}_{N_r})$ and $\vec{w} \sim \mathcal{CN}(\mathbf{0}, \sigma_w^2 \mathbf{I}_{N_a})$ comprise AWGN contributions at relays and destinations, respectively
- Stand-alone relays: Gain matrix \mathbf{D}_r diagonal
- *Power constraint*: No power loading at sources, sum power constraint at relays

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- Equivalent system model: $\vec{d} = \mathbf{H}_{SD} \vec{s} + \vec{n}$ with $\mathbf{H}_{SD} = \mathbf{H}_{rD} \mathbf{D}_r \mathbf{H}_{Sr}$ and coloured noise
- Equivalent channel matrix:

$$\mathbf{H}_{SD}[p, q] = \vec{d}_r^H (\mathbf{H}_{rD}^T[:, p] \odot \mathbf{H}_{Sr}[:, q])$$

with $\mathbf{H}_{SD} \in \mathbb{C}^{N_a \times N_a}$

- Orthogonal subchannels if $\mathbf{H}_{SD}[p, q] = 0 \quad \forall p \neq q$

- This is fulfilled when

$$\vec{d}_r^H [\vdots, \dots, \vdots, \mathbf{H}_{RD}^T[\vdots, q] \odot \mathbf{H}_{SR}[\vdots, p], \vdots, \dots, \vdots] \stackrel{!}{=} \mathbf{0} := \vec{u}^H \mathbf{H}$$

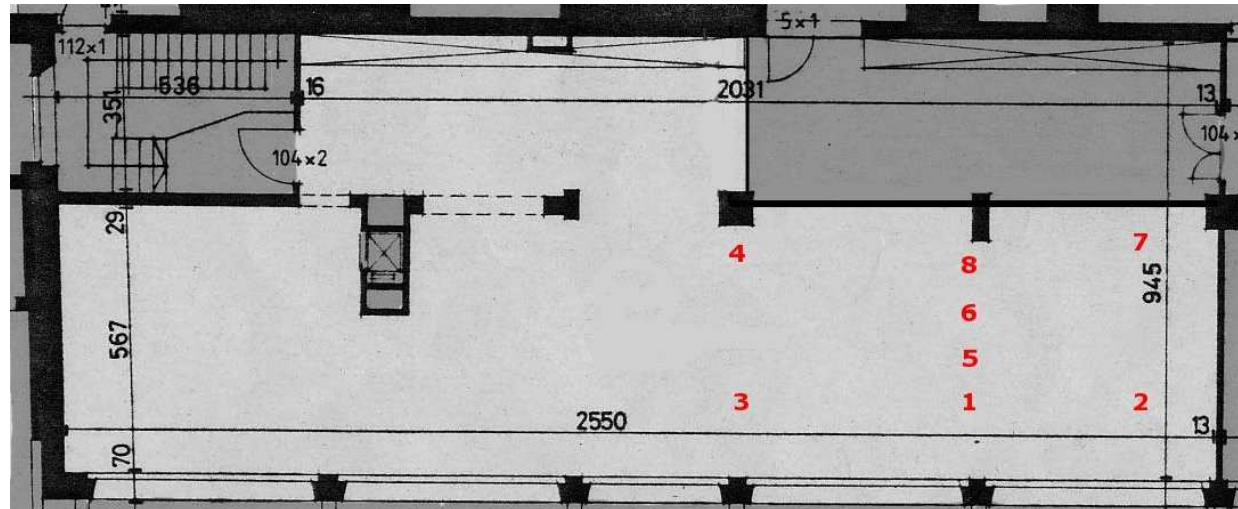
- \vec{u} is projection of \vec{d}_r onto nullspace of \mathbf{H} , where

$$\mathbf{H}[:, k] \equiv \mathbf{H}_{rD}^T[:, p] \odot \mathbf{H}_{Sr}[:, q] \quad \forall p, q \in \{1, \dots, N_a\} \text{ and } p \neq q$$

- Then, $\vec{u}^H \mathbf{H} = \mathbf{0}$, $\mathbf{H} \in \mathbb{C}^{N_r \times N_a^2 - N_a}$ and thus $\mathbf{H}_{SD}[p, q] = 0$ for $p \neq q$
- **Minimum Relay Configuration:** $N_r > N_a^2 - N_a$ because Nullspace of \mathbf{H} would be empty if $N_r = N_a^2 - N_a$ and \mathbf{H} has full rank.

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- Channel measurements with RACoon Lab in ETF B104

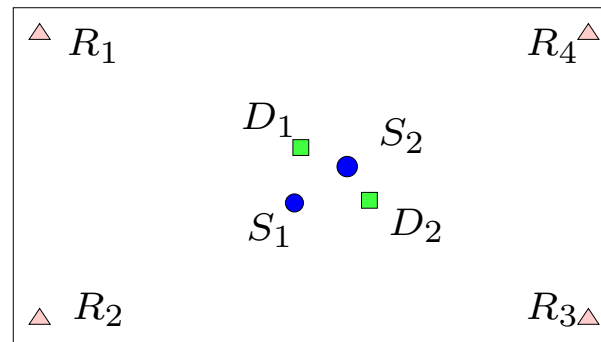


- 2 source-destination pairs and 4 relays → 8 uplink and 8 downlink SISO channels
- Eight single antenna nodes (4 sources, 4 destinations) to measure all SISO links
- Each node either in transmit (Tx) or receive (Rx) mode

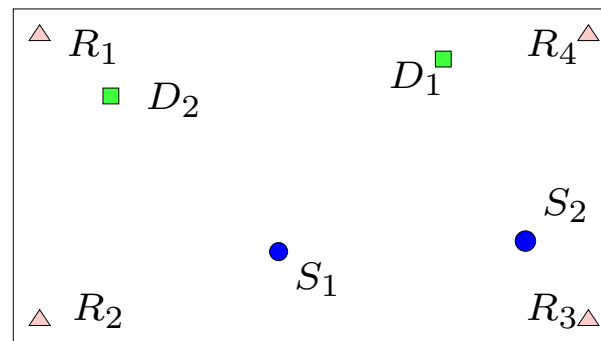
- Rubidium clock keeps synchronization (clock rate 80 MHz)
- Center frequency 5.25 GHz, bandwidth 80 MHz
- Transmit power ≈ 20 dBm (100mW)
- Transmit an m-sequence and correlate with received signal
→ scaled *Channel Impulse Response* (CIR))
- Channel reciprocity → measure channel from sources/destinations to all relays
- Measurement of 14 configurations

Classification of measurements:

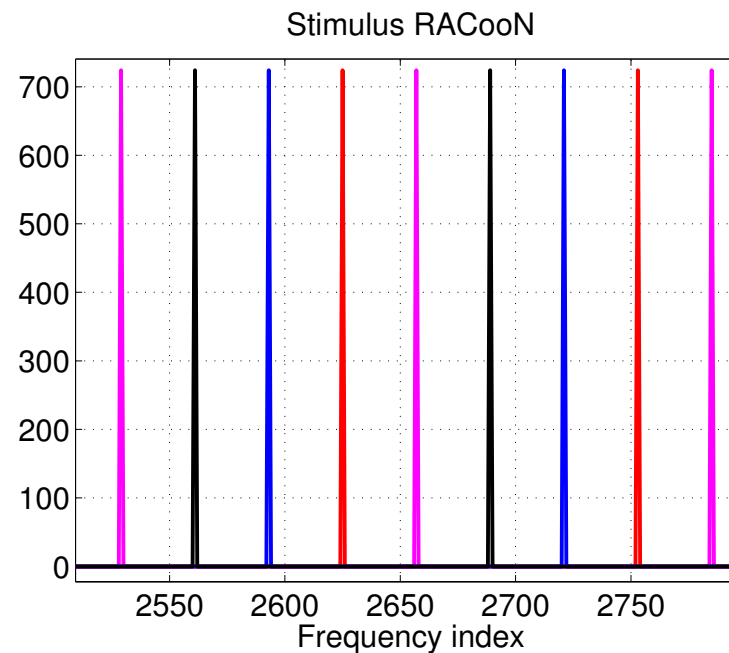
- *Meeting room*



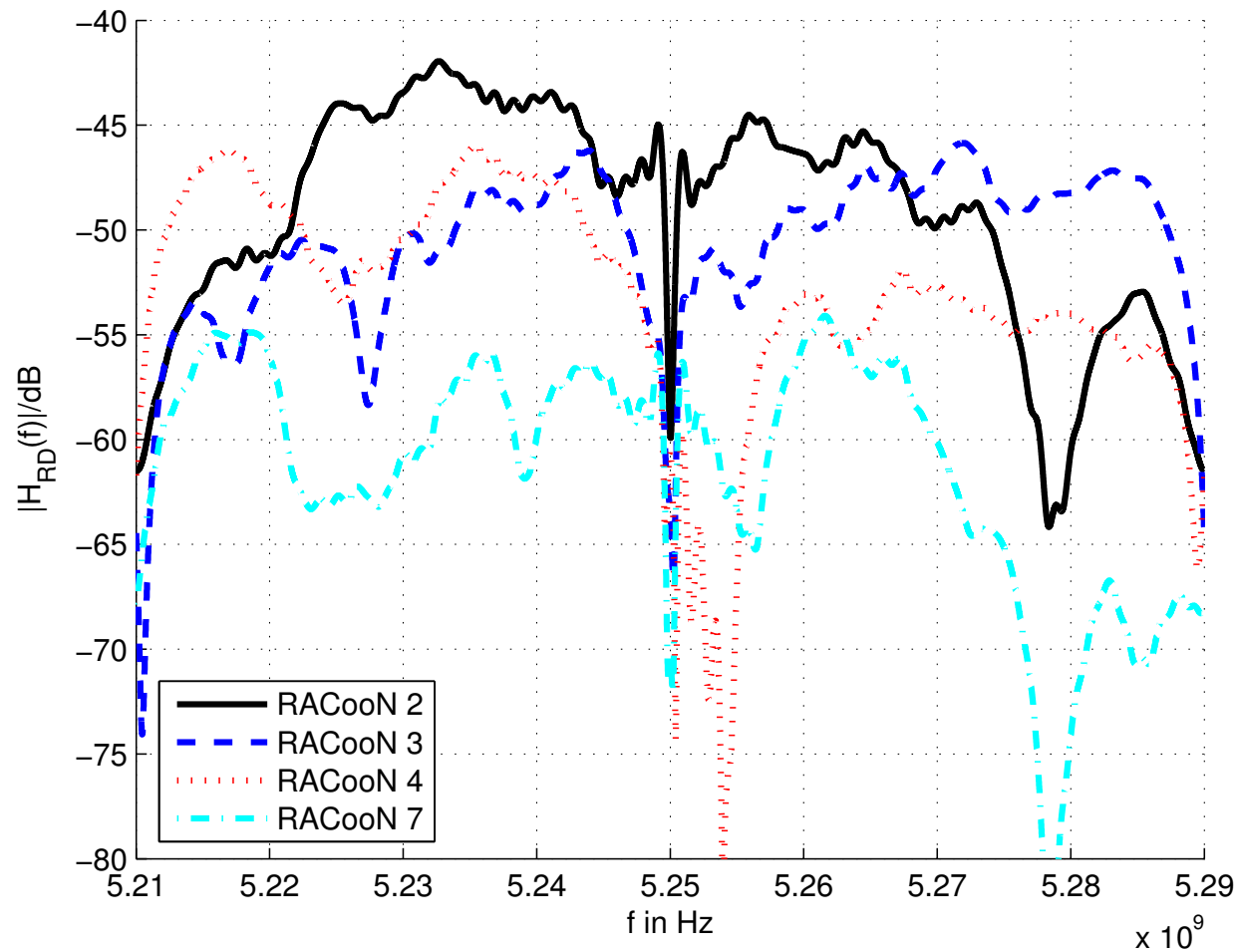
- *Open Office*



- Problem: Phase noise artificially creates uncorrelated subchannels when measuring sequentially
- Solution: Measure all channels simultaneously:
 - Transmit a repetition of m-sequences
 - Orthogonalize them in frequency



Transfer functions from RACooN 1 to all relays (RACooN 2, 3, 4, and 7)



- Determine mean channel capacity and performance gain of *Multuser Zero Forcing Relaying*

